

SUPERVISED LEARNING REGRESSION ALGORITHM SIMPLE LINEAR REGRESSION

Salimov Jamshid Obid o'g'li
Assistant
jamshidsalimov8@gmail.com

Xolmurodov Abduxoliq Nodir o'g'li
Student
abdixoliq994@gmail.com

Bobomurotov Jafarbek Jasurjonovich
Student
jafarbekbobomurotov@gmail.com
Jizzakh branch of National University of Uzbekistan

Annotation

In this article, the main task of Simple Linear Regression is to establish a linear relationship between (x) the independent variable and (y) the dependent variable. And predicting the value of the dependent variable based on the value of the independent variable

Keywords: regression, model, predictor, not available, test set, training set.

English mathematician and statistician Sir Francis Galton, who first introduced the concept in the late 19th century. Galton used the method to study the relationship between the heights of parents and their children, and he coined the term "regression" to describe how the children's heights tended to move towards the average height of the population, or the mean.

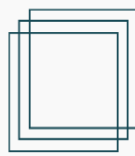
Later, the work of the American statistician and social scientist Francis Anscombe in the 20th century contributed to the popularization of simple linear regression, particularly through his influential paper "Graphs in Statistical Analysis" published in 1973. In this paper, Anscombe showed the importance of visualizing data and using regression analysis to model the relationship between variables.

Today, simple linear regression is widely used in various fields such as finance, economics, social sciences, and engineering to analyze the relationship between two variables and to make predictions based on that relationship.

SIMPLE LINEAR REGRESSION

Simple Linear Regression is a type of Regression algorithms that models the relationship between a dependent variable and a single independent variable. The <https://ejedl.academiascience.org>

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relationship shown by a Simple Linear Regression model is linear or a sloped straight line, hence it is called Simple Linear Regression.

Simple Linear regression algorithm has mainly two objectives:

Model the relationship between the two variables. Such as the relationship between Income and expenditure, experience and Salary, etc.

Forecasting new observations. Such as Weather forecasting according to temperature, Revenue of a company according to the investments in a year, etc.

Simple Linear Regression Model:

The Simple Linear Regression model can be represented using the below equation:

$$\hat{y} = \theta_0 + \theta_1 x_1$$

- \hat{y} - predicted values
- θ_0 - It is the intercept of the Regression line (can be obtained putting $x=0$)
- θ_1 - It is the slope of the regression line, which tells whether the line is increasing or decreasing.
- x_1 - independent variable

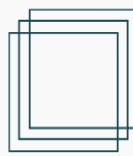
Implementation of Simple Linear Regression Algorithm using Python

To implement the Simple Linear regression model in machine learning using Python, we need to follow the below steps:

Data Pre-processing- this includes removing unusual values, extracting the desired data, removing NaN values, and determining their data type and converting them to the desired data type.

Find a correlation between columns and visual analysis

```
# we call the necessary libraries
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
%matplotlib inline
```



```
▶ #download the required DataSet  
df=pd.read_csv("https://raw.githubusercontent.com/JamshidSalimov/Ai-Fayls/master/my_rooms.csv", index_col=0)  
df.head()
```

```
▶
```

| | district | size | level | max_levels | price |
|---|---------------|------|-------|------------|----------|
| 0 | Юнусабадский | 57.0 | 4 | 4 | 104000.0 |
| 1 | Яккасарайский | 52.0 | 4 | 5 | 112000.0 |
| 2 | Чиланзарский | 42.0 | 4 | 4 | 74000.0 |
| 3 | Чиланзарский | 65.0 | 1 | 4 | 99000.0 |
| 4 | Чиланзарский | 70.0 | 3 | 5 | 110000.0 |

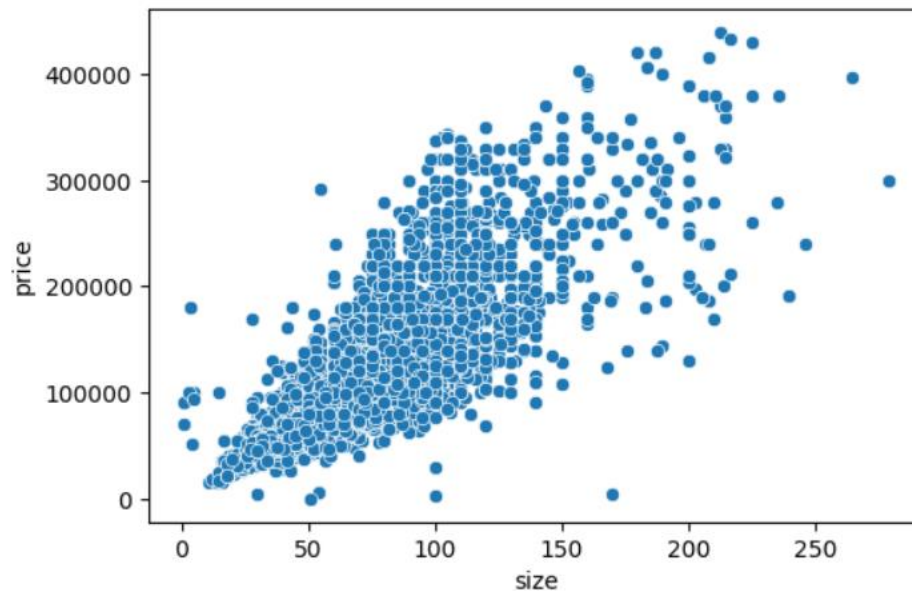
```
▶
```

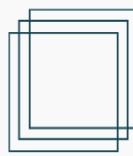
```
▶ # Find a correlation between columns  
df.corrwith(df["price"])
```

```
▶ size          0.794788  
level          0.079509  
max_levels    0.254600  
price         1.000000  
dtype: float64
```

The column data with the highest correlation is selected as the independent variable.
And this is the **size** column data

```
[36] # visual analysis  
plt.figure(figsize=(6,4))  
sns.scatterplot(data=df, x="size",y="price")  
plt.show()
```





Splitting the dataset into training and test set.

```
[39] # Splitting the dataset into training and test set.  
      from sklearn.model_selection import train_test_split  
      traen_set, test_set =train_test_split(df, test_size=0.15, random_state=40)
```

Using the `train_test_split` function, we split 15% of the data for training the model and 85% of the data for testing the model

Fitting the Simple Linear Regression to the Training Set:

Fit our model to the training dataset. To do so, we will import the `LinearRegression` class of the `linear_model` library from the `scikit learn`. After importing the class, we are going to create an object of the class named as a regressor.

```
[1] #Fitting the Simple Linear Regression model to the training dataset  
     from sklearn import linear_model  
     LR_model= linear_model.LinearRegression()
```

```
[ ] # Convert size and price column data to array view  
     x_train=np.asanyarray(traen_set[["size"]])  
     y_train=np.asanyarray(traen_set[["price"]])
```

```
▶ # Fitting the Simple Linear Regression  
   LR_model.fit(x_train,y_train)
```

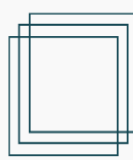
```
↳ ▾ LinearRegression  
   LinearRegression()
```

The `LinearRegression()` model also works for **Simple Linear Regression** and

θ_0 It is θ_1 defines and also possible to calculate T_0 and T_1 in SLR as follows.

$$\theta_1 = \frac{\sum_{i=1}^S (x_i - \tilde{x})(y_i - \tilde{y})}{\sum_{i=1}^S (x_i - \tilde{x})^2}$$

$$\theta_0 = \bar{y} - \theta_1 \tilde{x}$$

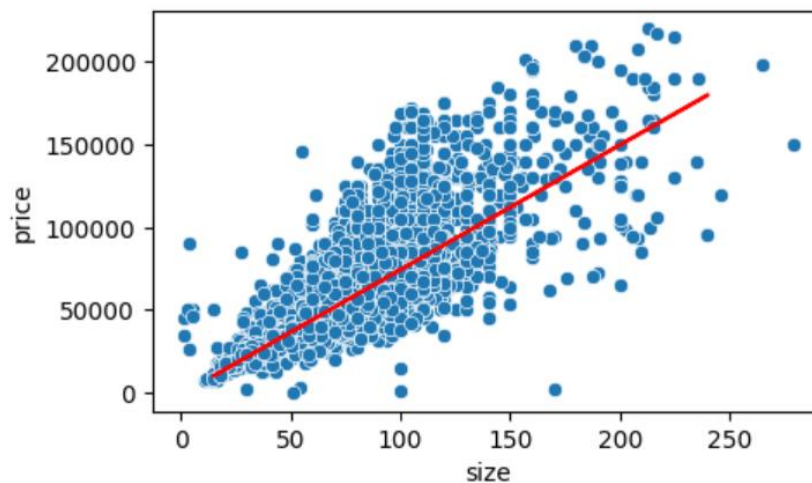


```
# tetta1 va tetta0 ni modeldan ajratib olish  
tetta1= LR_model.coef_[0][0]  
tetta0= LR_model.intercept_[0]  
print(tetta1)  
print(tetta0)
```

```
753.2195147265451  
-955.7940269998871
```

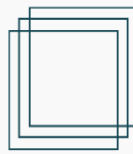
Visualizing the Training set results:

```
[25] # Draw a graph based on theteta1 and theteta0  
plt.figure(figsize=(5,3))  
sns.scatterplot(data=df, x="size",y="price")  
plt.plot(x_train,tetta0+x_train*tetta1, color="r")  
plt.show()
```

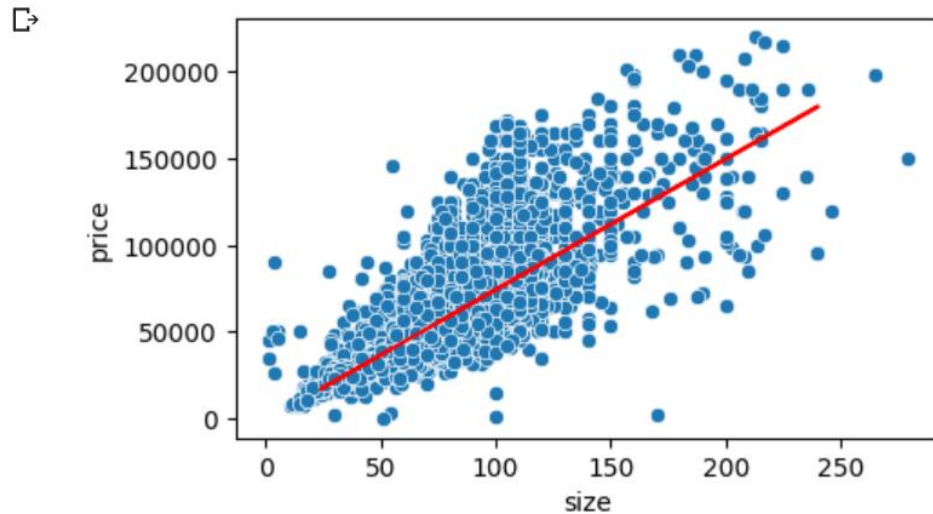


```
# Convert size and price column data to array view  
x_test=np.asarray(test_set[["size"]])  
y_test=np.asarray(test_set[["price"]])
```

Visualizing the Test set results:



```
# visualizing the Test set results:  
plt.figure(figsize=(5,3))  
sns.scatterplot(data=df, x="size",y="price")  
plt.plot(x_test,tetta0+x_test*tetta1, color="r")  
plt.show()
```



Determination of predictive values using the model

```
# Determination of predictive values using the model  
y_pridect=LR_model.predict(x_test)  
y_pridect
```

```
array([[ 39718.05976823],  
       [ 30679.42559152],  
       [ 26160.10850316],  
       [ 44237.37685659],  
       [ 35198.74267987],  
       [ 50263.13297441],  
       [ 27666.54753261],  
       [ 48003.47443023],  
       [ 30011.60070070]])
```

Model evaluation (Calculate the model error)

RMSE (root mean square error)

MAE (mean absolute error)

$$MAE(\mathbf{X}, h) = \frac{1}{m} \sum_{i=1}^m |h(\mathbf{x}^{(i)}) - y^{(i)}|$$



$$\text{RMSE}(\mathbf{X}, h) = \sqrt{\frac{1}{m} \sum_{i=1}^m (h(\mathbf{x}^{(i)}) - y^{(i)})^2}$$

```
# call the necessary functions of sklearn to calculate the error  
from sklearn.metrics import mean_absolute_error, mean_squared_error  
MAE=mean_absolute_error(y_predict, y_test)  
RMSE= np.sqrt(mean_squared_error(y_predict, y_test))  
print("MAE",MAE)  
print("RMSE",RMSE)
```

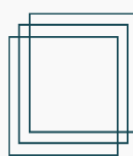
```
MAE 7651.904713026272  
RMSE 12977.44580854305
```

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