



Kinematics Of Kshm of Internal Combustion Engines

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ABSTRACT	<p>Kinematics of the crank mechanism in internal combustion engines single-stage engine. The calculation of the crank mechanism is given.</p>
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Keywords:	<p><i>Kinematics, crankshaft, engines, connecting rod, mechanism, deflection angle, exact formula, piston movement, crank angle.</i></p>
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The tasks of the kinematics of the crank mechanism (KShM) is to determine the displacement of the speed and acceleration of the piston.

The calculation of these values is made depending on the angle of rotation of the crank φ under the assumptions:

$$\omega = d\varphi / dt = 2\pi n / 60 = \pi n / 30 = \text{const},$$

$$\varphi = \omega t \text{ or } \varphi = 6 \pi n t$$

where ω is the angular speed of rotation of the crankshaft, s^{-1} ; n - frequency of rotation of the crankshaft, min^{-1}

Below is a method for kinematic calculation of the central crank mechanism of a single-row engine. The calculation of deaxial

crankshaft and V-shaped engines is given in the special literature [1, 2, 3, 4, 5].

Consider the scheme of the central crankshaft engine (Fig. 1.1). The piston moves from top dead center (TDC) to bottom dead center (BDC) with a full stroke S .

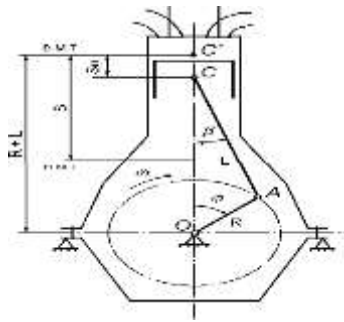
The connecting rod performs a portable movement together with the piston pin and swinging around the piston pin. The angle of deviation of the connecting rod β from the axis of the cylinder is determined from the ratio of the ACO triangle based on the sine theorem:

$$\sin \beta / \sin \varphi \approx R / L_w \approx \lambda_k$$

$$\sin \beta \approx \lambda_{to} \sin \varphi$$

Biggest connecting rod deflection

$\beta_{max} \leq 15...17^\circ$ will be equal to 90° and 270° at φ .



Unok rice - . 1.1. Scheme of the central KShM.

Piston movement .

When the crank is rotated by an angle \$j\$, the piston displacement will be \$S_x\$ (Fig. 2).

$$S_x = C'C - C'O - CO = R + L - CO$$

Then

$$S_\varphi = R + L - R \cos \varphi - L \cos \beta$$

In practical calculations, this exact formula is inconvenient, since the displacement depends on two variables \$j\$ and \$b\$. Therefore, an approximate formula is more often used, in which the variable \$\beta\$ is expressed in terms of \$\varphi\$ based on the Newton binomial.

$$\cos \beta = \sqrt{1 - \sin^2 \beta} = \sqrt{1 - \lambda_k^2 \sin^2 \varphi}$$

Expanding the right-hand side in Newton's binomial and neglecting the terms above of the second order, due to their youth, we get

$$\cos \beta \approx 1 - \lambda_k^2 / 4 + (\lambda_k^2 / 4) \cos 2\varphi$$

Then

$$CO = R \cos \varphi + L_w - R \lambda_{to} / 4 + (R \lambda_{to} / 4) \cos 2\varphi$$

we finally get

$$S_x \approx R [(1 - \cos \varphi) + \lambda_{to} / 4 (1 - \cos 2\varphi)]$$

It can be seen from the formula that the displacement of the piston consists of the displacement first order

$$S_x = R (1 - \cos \varphi)$$

and second order displacement

$$S_{x2} = (R \lambda_{to} / 4) (1 - \cos 2\varphi)$$

When \$\varphi \approx 0\$ about

$$S_x = 0$$

\$\varphi \approx 90\$ about

$$S_x \approx R$$

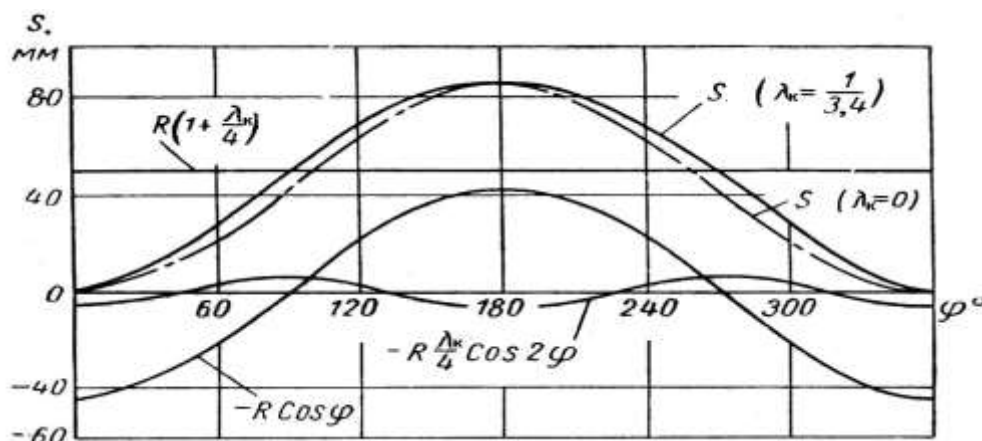
$$(1 + \lambda_{to} / 2)$$

\$\varphi \approx 180\$ about

$$S_x = 2R = S$$

The value of \$R \lambda_k / 2\$ is called the F. Brix correction, the essence of which is that during the first 90 degrees of rotation of the crank, the piston passes a large path by the value \$(1 + \lambda_{to} / 2)\$ than for the next 90 about.

Figure 3 1.2 shows the displacement curves of the piston \$S_\varphi\$ depending on the angle of rotation of the crank.



Unok rice - 4 . 1.2 . Piston displacement curves.

piston speed .

The piston speed \$W\$ can be determined by differentiating the expression piston displacement \$S_x\$ in time

$$W_{\Pi} = \frac{ds_x}{dt} = \frac{d\varphi}{dt} \cdot \frac{ds_x}{d\varphi} = w\omega \frac{ds_x}{d\varphi}$$

or

$$W_{\Pi} = w \cdot R \cdot (\sin \varphi + (\lambda_k / 2 \cdot \sin 2\varphi)) \text{ m/s}$$

When turning the crank at an angle

$\varphi = 0^\circ$	$W_p = 0$
$\varphi \approx 90^\circ$ about	$W_p = w R$
$\varphi \approx 180^\circ$ about	$W_p = 0$
$\varphi \approx 270^\circ$ about	$W_{\Pi} = -w R$

For practical calculations and comparison of high-speed engine use the average piston speed

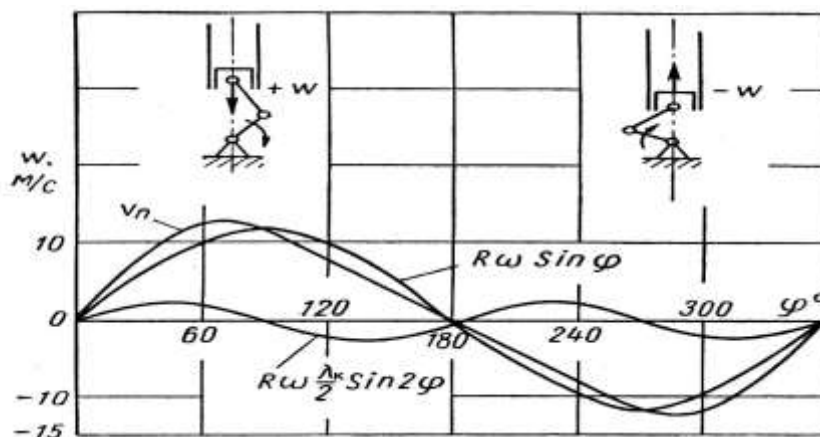
$$W = S n / 30 \text{ m/s.}$$

For modern automotive engines

$$W_p \approx 5 \dots 15 \text{ m / s.}$$

The dependence of the piston speed on the angle of rotation of the crank is presented in fig. 44

11.3.



Unok rice - 5 1.3 . Piston velocity curves.

Piston acceleration .

Piston acceleration j_p can be determined by differentiating the expression speed over time

$$j_{\Pi} = \frac{dW_{\Pi}}{dt} = \frac{dW_{\Pi}}{d\varphi} \cdot \frac{d\varphi}{dt} = \frac{aW_{\Pi}}{d\varphi} \cdot \omega$$

$$j_{\Pi} = w^2 R (\cos \varphi + \lambda_k \cdot \cos 2\varphi), \text{ m/s}^2$$

The dependence of the piston acceleration j_p depending on the angle of rotation of the crank is shown in fig. 5 1.4 .

From the piston acceleration graphs, it can be seen what at

$$j_p \approx 0 \quad (360^\circ)$$

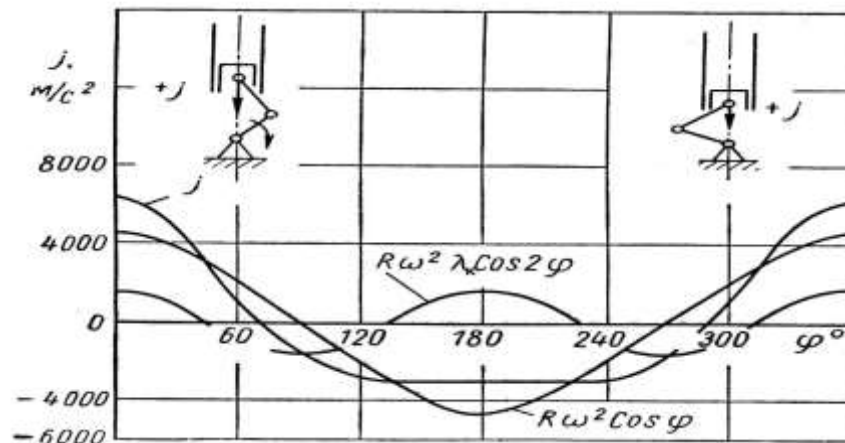
$$j_p \approx R \omega^2 (1 + \lambda_{to})$$

value j_p - reaches maximum positive value at

$$\varphi \approx 180^\circ$$

$$j_p \approx -R \omega^2 (1 - \lambda_k)$$

the value of j_p - reaches the maximum negative value, and absolute value in TDC. $0(360^\circ)$ is greater than HDC (180°).



Unok rice - 5 1.4 . Piston acceleration curves.

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